

# On Unsupervised Domain Adaptation: Pseudo Label Guided Mixup for Adversarial Prompt Tuning



https://github.com/fskong/PL-Mix





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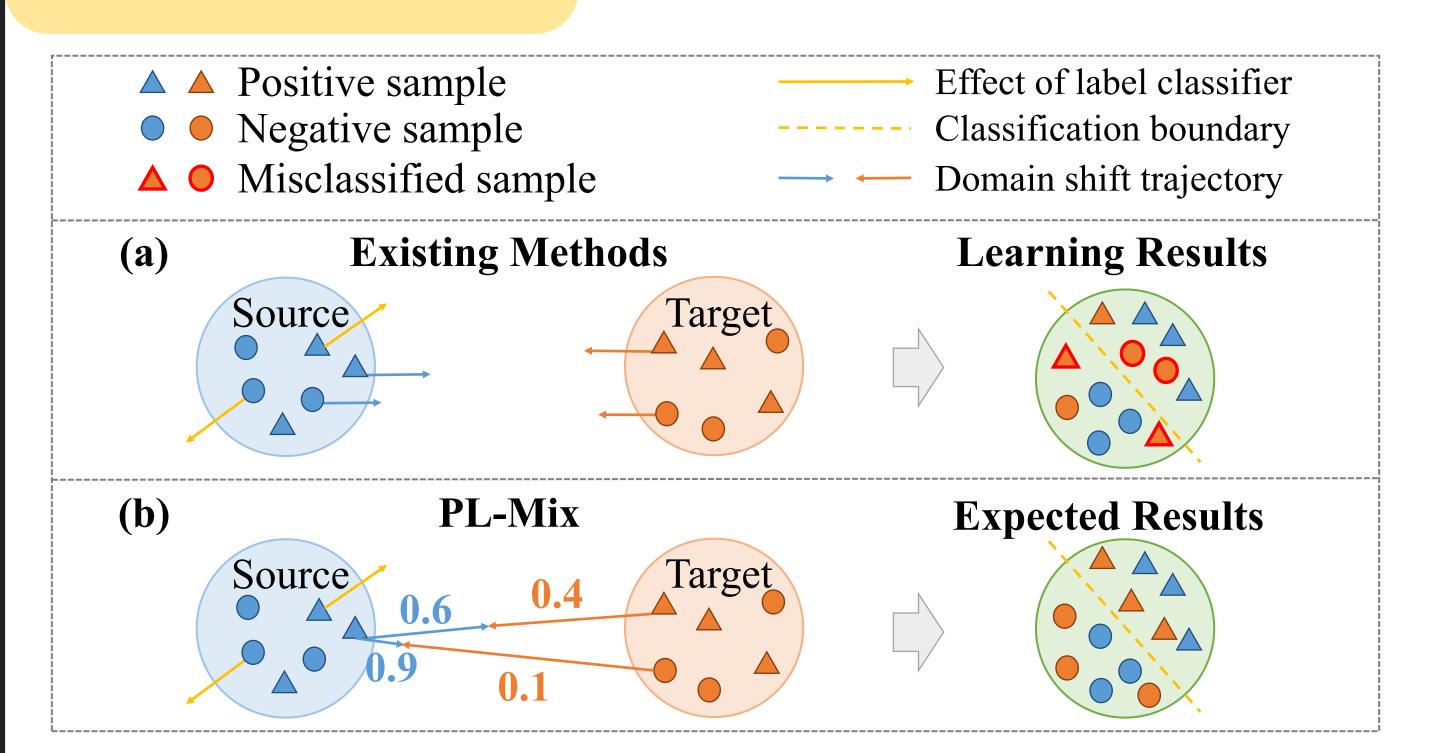
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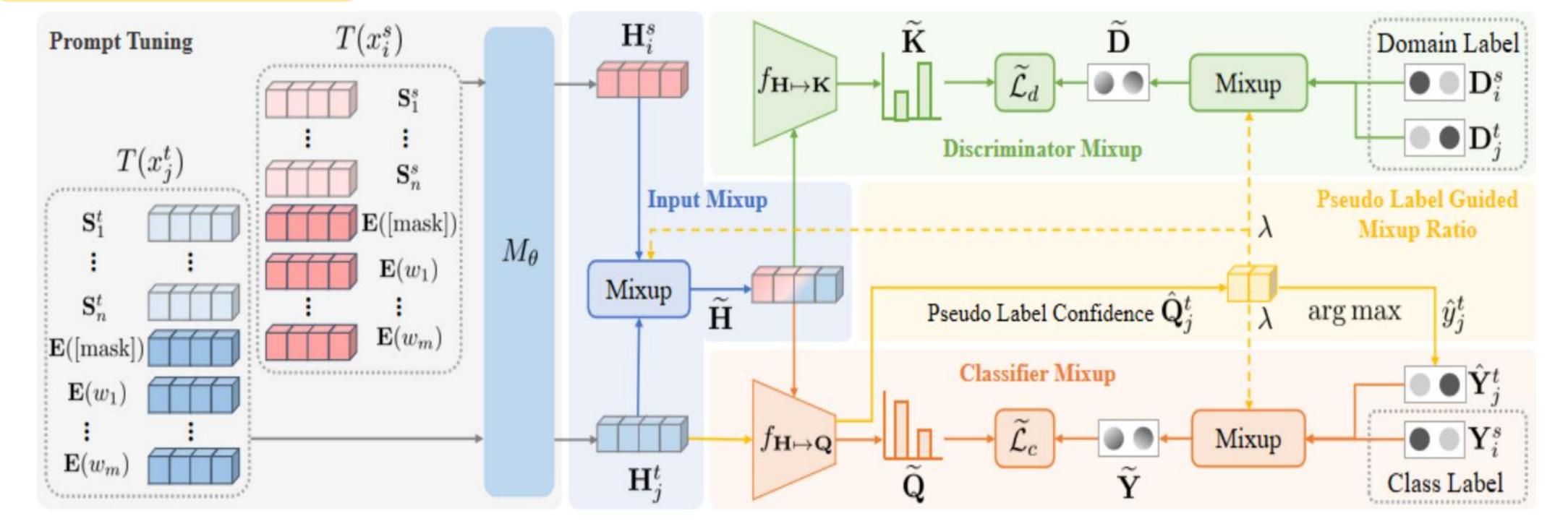
### Motivation



No explicit mechanism that facilitates the positive (or negative) data of the source domain to be attracted towards the corresponding positive (or negative).

- The fusion of **pseudo labels** and **Mixup** creates intermediate synthetic data between source and target data of the same class, thereby **promoting the alignment between the two domains.**
- The source data should move more (Mixup ratio 0.6) toward the target data with a same and highly confident label.
- While the movement should be limited (Mixup ratio 0.9) for a distinct and highly confident label.

### PL-Mix



☐ Confidence-dependent Mixup Ratio

Pseudo label confidence:  $\hat{\mathbf{Q}}_{i}^{t[\hat{y}_{j}^{t}]}$ 

Mixup ratio:  $\lambda \sim Beta(\alpha, \alpha)$ 

$$\alpha = \begin{cases} \hat{\mathbf{Q}}_j^{t[\hat{y}_j^t]}, & \text{if } \hat{y}_j^t = y_i^s \\ 1 - \hat{\mathbf{Q}}_i^{t[\hat{y}_j^t]}, & \text{otherwise} \end{cases}$$

Pseudo class label Mix

☐ Classifier Mixup

$$\widetilde{\mathbf{H}} = \lambda \mathbf{H}_i^s + (1 - \lambda) \mathbf{H}_j^t$$

$$\widetilde{\mathbf{Y}} = \lambda \mathbf{Y}_i^s + (1 - \lambda) \hat{\mathbf{Y}}_j^t$$

□ Discriminator Mixup

Domain label Mix

$$\widetilde{\mathbf{H}} = \lambda \mathbf{H}_i^s + (1 - \lambda) \mathbf{H}_j^t$$

$$\widetilde{\mathbf{D}} = \lambda \mathbf{D}_i^s + (1 - \lambda) \mathbf{D}_j^t$$

Cross entropy loss of Classifier

Cross entropy loss of Discriminator

$$\widetilde{\mathcal{L}}_c = -\sum_{i=1}^{N^s+N^t}\sum_{j=1}^{|\mathcal{Y}|}\widetilde{\mathbf{Y}}_i^{[j]}\log\widetilde{\mathbf{Q}}_i^{[j]}$$
min

## $egin{aligned} \mathbf{max}\, \widetilde{\mathcal{L}}_d &= -\sum_{i=1}^{N^s+N^t} \sum_{j=1}^{|\mathcal{D}|} \widetilde{\mathbf{D}}_i^{[j]} \log \widetilde{\mathbf{K}}_i^{[j]} \end{aligned}$

### PL-Mix Improves Generalization

**Theorem 1** Let the function space of F have the finite Natarajan dimension  $d_N$ . Assume that the loss function  $\mathcal{L}_c(\cdot,\cdot;F)$  is R-subgaussian under  $P_{XY}^s$ . Then, for any F, there exists a constant C>0 such that with probability  $1-\delta$ 

$$\mathcal{E}(F) \leq C\sqrt{\frac{d_N \log |\mathcal{Y}| + \log \frac{1}{\delta}}{N_s}} + \sqrt{2R^2 D_{KL} (P_Z^t || P_Z^s)} + \sqrt{2R^2 D_{KL} \left(P_{Y|Z}^t || P_{\hat{Y}|Z}^t\right)} + \sqrt{2R^2 D_{KL} \left(P_{\hat{Y}|Z}^t || P_{Y|Z}^s\right)},$$

where  $D_{KL}(\cdot||\cdot)$  denotes the KL divergence and  $P_{\hat{Y}|Z}^t$  is the conditional pseudo label distribution of the target data.

### ☐ PL-Mix can improve the generalization guarantee

- Classifier Mixup Reduces the First Term
- Discriminator Mixup Reduces the Second Term
- Classifier Mixup Controls the Last Two Terms

### Experiment

 $\lambda :=$ 

Bert-base-uncased													
Model	$B \rightarrow D$	$B \rightarrow E$	$\mathbf{B} \to \mathbf{K}$	$\mathbf{D} \to \mathbf{B}$	$\mathbf{D} \to \mathbf{E}$	$D \to K$	$E \rightarrow B$	$E \rightarrow D$	$E \to K$	$\mathbf{K} \to \mathbf{B}$	$\mathbf{K} \to \mathbf{D}$	$K\toE$	Avg.
DANN	89.70	87.30	89.55	89.55	86.05	87.69	87.15	86.05	91.91	87.65	87.72	86.05	88.56
COBE	90.05	90.45	92.90	90.98	90.67	92.00	87.90	87.87	93.33	88.38	87.43	92.58	90.39
AdSPT	62	2	2	₽	=	120	-	27	-	<u> 25</u> 9	22	2	9
DANN	89.54	88.15	89.76	89.62	88.27	89.87	87.89	88.19	92.25	87.69	87.72	91.14	89.17
$COBE^{\star}$	90.13	90.92	92.28	91.05	89.75	91.67	88.25	88.88	93.88	89.18	87.68	92.87	90.55
AdSPT	90.10	90.55	92.25	90.55	89.40	90.95	88.35	87.40	93.75	88.45	87.80	92.00	90.13
PL-Mix	90.91	91.04	91.82	91.19	91.12	91.84	88.86	88.56	93.93	89.25	88.27	92.77	90.80
Roberta-base													
Model	$\mid B \rightarrow D$	$B \rightarrow E$	$\mathbf{B} \to \mathbf{K}$	$\mathbf{D} \to \mathbf{B}$	$D \rightarrow E$	$D \to K$	$\mathbf{E} \to \mathbf{B}$	$\mathbf{E} \to \mathbf{D}$	$E \rightarrow K$	$\mathbf{K} \to \mathbf{B}$	$\mathbf{K} \to \mathbf{D}$	$\mathbf{K} \to \mathbf{E}$	Avg.
DANN	1 4	(20)	(20)	123	(25)	1.2	_	<u>-</u>	121	<u>-</u>	102	2	f <u>4</u>
COBE	-	( <del>4</del> )	<del></del>	-	-	-	-	2 <del>-</del> 4	( <del>-</del>	-	-	-	*
AdSPT*	92.00	93.75	93.10	92.15	94.00	93.25	92.70	93.15	94.75	92.35	92.55	93.95	93.14
DANN	91.79	92.60	93.12	92.60	91.58	93.30	90.48	90.27	94.24	91.40	90.15	93.85	92.11
COBE	92.19	92.79	95.02	93.27	93.24	94.47	92.01	90.00	95.31	91.70	90.14	94.63	92.90
AdSPT	92.86	93.08	94.45	93.97	93.16	94.97	91.75	89.72	95.43	91.33	90.76	94.70	93.02
PL-Mix	93.60	94.22	95.36	94.19	94.11	95.29	92.77	92.02	95.67	92.50	91.71	94.65	93.84

#### □ PL-Mix obtains convincing results

- PL-Mix outperforms SOTA models on Avg. both in Bert and Roberta
- PL-Mix aligns source data to target data according to their labels
- PL-Mix outperforms SOTA on multi-source setting (details in the paper)

